

Game Attendance and Competitive Balance in the National Hockey League

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Abstract: We examine the relationship between attendance, uncertainty of outcome, and team quality in the National Hockey League. Based on results from a reduced form model of attendance at 6054 regular season NHL games from 2005/06 to 2009/10, we find evidence that attendance increases when fans expect the home team to win by a large margin. Attendance increases for home team underdogs, but the extent of that boost declines as the underdog status worsens. An asymmetric relationship exists between expected game outcomes and attendance, suggesting the need for an expanded definition of the Uncertainty of Outcome Hypothesis.

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Introduction

Simon Rottenberg (1956) suggested that attendance “is a negative function of the ... dispersion of percentages of games won by the teams in the league (p. 246)” and adds in a footnote “the ‘tighter’ the competition, the larger the attendance.(footnote 21, pp. 246)” Large variability in the quality of the teams, or in other words poor competitive balance in a sports league, hurts attendance. Rottenberg’s conjecture has come to be known as the Uncertainty of Outcome Hypothesis (UOH) in the sports economics literature and is the subject of substantial body of research. Zimbalist (2002) suggested that the competitive balance-attendance relationship should be the focus of competitive balance research, as understanding fans’ perceptions of competitive balance (as reflected in the sensitivity of attendance to changes in different measures of competitive balance) was a key way to evaluate the usefulness of the ever expanding catalog of ways to measure competitive balance. Humphreys and Watanabe (in press) survey the literature on the UOH and the analysis of competitive balance following Zimbalist’s (2002) special issue of the *Journal of Sports Economics* on competitive balance. They conclude that much of the subsequent research on competitive balance focused primarily on measurement issues, referred to as analysis of competitive balance (ACB) research, while relatively little research examined the effect of outcome uncertainty on consumer demand.

In this paper we add to the literature formally testing the predictions of the UOH using game or match level data from sports leagues and betting market data to proxy for game outcome uncertainty. We also argue that the standard interpretation of the UOH used in the literature, based on a strict reading of Rottenberg’s (1956) conjecture misses much of the richness of decision making under uncertainty and fails to account for two important features of recent theoretical advances in decision making under uncertainty: the idea that expected losses are treated differently than expected gains, as specified in prospect theory (Kahneman and Tversky, 1979), and the idea that non-expected utility maximization characterizes many important aspects of decisions made under uncertainty (Starmer, 2000). Previous empirical research into the relationship between game attendance and game outcome uncertainty has assumed a symmetric relationship between these two factors, implicitly forcing the effects of an unbalanced contest where the home team is expected to win to be the same as the effects of an unbalanced contest where the home team is expected to lose. This assumption of asymmetry is incompatible with prospect theory, which predicts that expected losses would be viewed differently than expected

wins, and with the idea of non-expected utility maximization, which implies the presence of non-linear or even discontinuities in the expected game outcome-attendance relationship. We estimate an empirical model that relaxes the assumption of a symmetric relationship between expected game outcomes and attendance.

We investigate the determinants of attendance at National Hockey League (NHL) games over the course of five seasons, 2005/06 through 2009/10. Our explanatory variables include the money line or odds betting line as the primary measure of game-specific uncertainty of outcome, as well as season to date performance indicators of both the home and visiting team and the previous season's winning percentage.

We find strong evidence that hockey fans turn out in larger numbers to see games the home team is expected to win but also turn out in large numbers to see the home team as an underdog, consistent with models featuring non-expected utility maximization motives for decisions under uncertainty. Unlike previous studies that use betting odds to calculate implied probabilities of a home team win and enter this variable non-linearly in regression models, we assume that fans view favored home teams and underdog home teams differently when making attendance decisions. In these regards, our results contradict the traditional interpretation of the uncertainty of outcome hypothesis. Attendance is higher at games featuring good visiting teams, high scoring teams, and good defensive teams. Moreover, if penalties measure sloppy or violent play, the results here suggest fans are willing to forgive the home team for committing these transgressions, but if the visiting team is heavily penalized attendance suffers. Consequently, we interpret our results as supporting Rottenberg's (1956) conjecture that fans want to see competitive games.

Literature Review: Betting Markets and Outcome Uncertainty

We contribute to the growing literature that uses betting market data to capture outcome uncertainty in empirical studies of demand for live attendance at sporting events. Many tests of the UOH develop uncertainty of outcome measures based on current team won-loss records or league standings. We do not review this extensive literature; see Humphreys and Watanabe (in press) for a survey of this literature. While complex functions of such variables can reflect

outcome uncertainty under correctly specified methods, betting market based measures are more likely to reflect the outcome uncertainty perceived by bettors and book makers who have some skin in the game and thus have an economic incentive to accurately forecast game or match outcomes. Deriving outcome uncertainty measures from won-los records and league tables requires a complex mapping of observed game or match outcomes into expectations; using betting market outcomes eliminates all the problems associated with this mapping and replaces this with a market based variable generated in markets known to be efficient aggregators of information about factors affecting the outcomes of sporting events (Sauer 1998).

Although a number of previous studies test the UOH, a surprisingly small number use betting market data as outcome uncertainty proxies, and the results from this literature are mixed. Peel and Thomas (1988) first used betting market data to proxy for uncertainty of match outcome in their study of match attendance in the English Football League for the 1981/82 season. In this seminal paper, odds from football betting markets were used to construct measures of the probability that the home team would win a match; this approach assumes that the higher the probability the home team wins, the lower the outcome uncertainty. Peel and Thomas (1988) used a linear form for the outcome uncertainty measure in their empirical model and found that attendance increased with the home win probability. This result did not support the UOH, as the positive relationship between outcome uncertainty implies that fans prefer to see matches with lower outcome uncertainty. Peel and Thomas (1992) analyzed the relationship between match uncertainty and attendance in the English Football League for the 1986/87 season. They again used betting odds to calculate implied win percentages for home teams; in this case, they entered the implied home win percentage in the empirical model in a non-linear fashion, using the home win percentage and the home win percentage squared as explanatory variables. In this paper, Peel and Thomas (1992) find a U-shaped relationship between game outcome uncertainty and attendance, implying that more tickets are sold for matches where the home team is a large underdog or large favorite than for matches where outcome uncertainty is large.

Knowles, Sherony and Hauptert (1992) analyzed the relationship between game outcome uncertainty and attendance in Major League Baseball (MLB) over the 1988 season. Like the previous research, they use betting odds data to construct measures of the probability that the home team will win the game and enter this variable into an attendance model non-linearly. Unlike the evidence from English football, they find an inverse-U or hump-shaped relationship

between game outcome uncertainty and attendance, with a maximum effect at an implied home winning percentage of about 0.6; while this only offers weak support for the UOH, these results are consistent with the UOH, unlike the earlier results from English football.

Welki and Zlatoper (1999) analyzed the relationship between attendance and game outcome uncertainty in National Football League (NFL) games in the 1986 and 1987 seasons. Betting markets for American football use point spreads rather than betting odds, so this paper uses the point spread as a measure of game outcome uncertainty and account for non-linearity in the uncertainty of outcome-attendance relationship in the standard way by adding a quadratic variable to the regression model. The estimated relationship between game outcome uncertainty and attendance was positive and linear; the larger the point spread, the larger attendance, other things equal. The estimated parameter on the quadratic point spread variable was not statistically significant. This result is not consistent with the UOH.

Forrest and Simmons (2002) analyzed the relationship between match uncertainty and attendance in English professional football in the 1997/98 season. This paper builds on Peel and Thomas (1988, 1992) by correcting the calculation of home winning percentage for book maker over-round and also by taking into account inefficiencies in betting markets related to the size of the fan base of football teams. They also construct a variable from betting odds data that is equal to one when the probability that the home team will win the match is 0.5, a match between teams with equal ability. Despite this careful transformation of the betting odds data, Forrest and Simmons (2002) also find a U-shaped relationship between match uncertainty and attendance, contrary to the UOH.

Forrest and Simmons (2002) advocated the use for forecasts of game outcomes as uncertainty measures and the use of betting market data to proxy for outcome uncertainty declined. Owen and Weatherston (2004) analyzed Super 12 Rugby attendance and outcome uncertainty for 70 rugby matches, using betting odds data to generate implied win probabilities as a measure of outcome uncertainty. Their uncertainty of outcome measure enters the model in a non-linear way. Attendance was not associated with outcome uncertainty measures in this study. Lemke, Leonard, and Tlhokwane (2009) analyzed outcome uncertainty and attendance in MLB using betting odds data to generate implied win probabilities as a measure of outcome uncertainty. Their uncertainty of outcome measure enters the model in a non-linear way. The results are contrary to the UOH, but supports previous results from English football; the

relationship between outcome uncertainty and attendance is U-shaped, first falling with the probability that the home team will win the game and then rising after reaching a minimum at about a 54% probability that the home team wins the game.

Coates and Humphreys (2010) analyzed attendance and outcome uncertainty in more than 5000 National Football League (NFL) games over the period 1985-2008. Betting markets for American football use point spreads rather than betting odds, so this paper uses the point spread as a measure of game outcome uncertainty and takes the same basic approach as Welki and Zlatroper (1999). Coates and Humphreys find an increasing relationship between game outcome uncertainty and attendance, contrary to the UOH. Although the estimated sign on the point spread squared variable is negative, it is not significant at commonly used significance levels, so attendance strictly increases with the point spread, suggesting that demand for closely contested games does not increase.

The literature analyzing the relationship between game outcome uncertainty and game attendance features little consistency. Studies of the same sport report divergent results, even when similar measures of game outcome uncertainty are used. Some studies conclude that the relationship is U-shaped, implying that fans like games with certain outcomes, and others conclude that inverse-U shaped relationships exist, a result consistent with the UOH. While many have explored the idea that problems with betting market data drive the inconsistent results in tests of the UOH and advocate the use of forecasting models and other complex functions of league standings and previous game outcomes instead of betting market data (Forrest, Simmons and Buriamo, 2005), we believe that expected outcome proxy variables derived from betting market data are better options than forecasts. We posit that the reason for the inconsistent results in the literature stems from functional form assumptions implicit in the widespread use of linear and quadratic measures of game outcome uncertainty in previous empirical research, and not from problems with betting market data. An expanded interpretation of the underlying consumer-theoretic decision can imply alternative functional forms for the relationship between game outcome uncertainty and attendance.

Reinterpreting the UOH

Put simply, the UOH posits a positive relationship between the expected outcome of a sporting event and consumer demand for tickets to that event or for viewing that event on some sort of media, in a broader context; the “tighter” consumers anticipate a contest will be, the more expected utility generated by watching the contest, either live or through some media. The theoretic basis for the UOH lies in models of consumer decision making under uncertainty. The general practice in the empirical literature has been to assume a symmetric relationship between expected game outcomes and demand, which also implies a symmetric relationship between expected game outcomes and expected utility, since the increase in demand can be linked to preferences and utility. This symmetric relationship can be motivated by standard models of expected utility like the seminal model developed by Friedman and Savage (1948).

However, recent advances in modeling consumer decisions under uncertainty suggest that the relationship between game outcome uncertainty and utility need not be symmetric. Kahnemann and Tversky (1979) developed prospect theory, which predicts that consumers value expected losses differently than expected gains. Under the assumption that consumer utility increases with wins in sporting events and decreases with losses in sporting events, prospect theory suggests that the expected utility generated by wins differs systematically from the expected dis-utility generated by losses, implying that the relationship between expected game outcomes and attendance when fans expect the home team to win might differ systematically from the relationship between expected game outcomes and attendance when fans expect the home team to lose. We incorporate this into the empirical model estimated below.

In addition, recent research and experimental evidence indicates that many aspects of consumer choice under uncertainty cannot be explained by models of expected utility, and instead can be characterized by models that incorporate elements of non-expected utility maximization. Starmer (2000) recently surveyed this literature. While these models are complex, several can be applied to the relationship between expected game outcomes and demand. For example, framing, the case where similar stochastic outcomes are viewed differently, has been shown to affect consumer decisions. In the case of the relationship between expected game outcomes and demand, consider two alternative stochastic outcomes: an unexpected loss by a team expected to win a game, and unexpected win by a team expected to

lose a game. The unexpected loss will not generate any satisfaction for fans of the home team, while the unexpected win, like David over Goliath, could generate substantial satisfaction among fans of the home team. Fans know that an unexpected upset win will generate additional utility, which could lead to increased demand for tickets to games where the home team is the underdog, other things equal. Again, the presence of non-expected utility maximizing motives in the form of framing suggests that the relationship between expected game outcome and demand may not be symmetric. We expand the empirical model to include framing effects associated with games where the home team is not expected to win in the empirical model developed below, under the assumption that framing effects lead to differences in demand for tickets to games the home team is expected to lose compared to demand for tickets to games the home team is expected to win.

Data Description

The data for this analysis comes from two basic sources. Information on the outcome of games and seasons comes from the National Hockey League website and covers the seasons 2005/06 through 2009/10. The five seasons in the analysis all are after the lost lockout season of 2004/05. The money line betting data comes from is www.sportsinsights.com, a sports betting information site that collects and distributes betting data from three off shore, on-line sports books. The three sports books included in the Sports Insights data are BetUS.com, FiveDimes.com, and Caribsports.com. These three on-line book makers have been in business for some time; BetUs.com was founded in 1994 and is the 6th largest on-line gaming site in the world; FiveDimes.com opened in 1998; Caribsports.com opened in 1997. All three on-line sports books offer betting on sporting events and horse races world-wide as well as on-line versions of traditional table games like blackjack. These three book makers typically report similar money line odds on NHL games and the odds reported by Sports Insights are the average money line odds across these three on-line book makers. Table 1 reports descriptive statistics for the variables in our analysis.

The data includes every regular season game during this period with two exceptions. A small number of games were played in several cities in Europe at the start of the 2006/07, 2007/08, and 2008/09 seasons. Teams paired off for two games with one designated home in the first and the other the home team in the second. As these designations are both random and

clearly unrelated to the home ice of either team, these games are not included in the attendance regressions. The games do, however, contribute to team quality and performance variables that evolve through the season. More is said about these variables below. The second reason a small number of games are omitted is the lack of money line data. The fifteen games played on October 5, 2005 are missing from the attendance regressions for this reason. After these exclusions, there remain 6054 games for the analysis. Thirty-six percent (2160 of 6054) of the games are sell outs. Consequently, we estimate the model using a censored regression model.

The dependent variable is the natural logarithm of (home) game attendance for games involving home team i against visiting team j of season s . Three games have attendance over 23,000, with the largest attendance being 71,217 at the first “NHL Winter Classic”, a game played outdoors in Ralph Wilson Stadium in Orchard Park, NY, on January 1, 2008, between the Buffalo Sabres and the Pittsburgh Penguins. Omitting the three Winter Classic games from the analysis, the average attendance falls only by 17, to about 17,127. The standard deviation of attendance falls by about 120 compared to the value 2715.4 reported in Table 1.

The log attendance at a game is explained by several variables that capture the quality of the teams to that point in the season. For each team, the winning percentage is calculated on all games that season played prior to the specific game. Similarly, goals scored, goals allowed, and penalty minutes assessed are accumulated up through the previous game a team played, and averaged over those games. These variables are constructed for each team, so that prior to each game the average goals scored, average goals allowed and average penalty minutes assessed through all the previous games are available to influence fan decisions on attendance. We hypothesize that attendance will be greater the higher the winning percentage of the home team and the more goals scored per game by the home team. We hypothesize that attendance will be lower the more goals allowed per game by the home team and the more penalty minutes per game the team accumulates. Stewart et al., (1992) suggest that hockey clubs choose the level of violence to maximize profits. In their model, added violence reduces the team success on the ice, but compensates by attracting more fans and greater revenues. Coates, Battre, and Deutscher (in press) found no evidence that attendance increased with either penalty minutes or actual fights in the NHL, though they found weak evidence that attendance in the German Ice Hockey League was higher for clubs that committed more penalties.

The betting line data warrants more discussion. The money line can be either positive or negative, with the sign indicating favorite or underdog status. If the money line sign is negative, the team is favored to win the game and the money line value indicates how much must be bet to win \$100. Given a negative sign, as the absolute value of the line increases, that team is a stronger favorite, more must be bet to get a \$100 payout. If the sign is positive, the team is an underdog and the money line value indicates the payout on a \$100 bet. The larger the value, the more the return on a \$100 bet, hence the greater the underdog status of the club. This asymmetric effect of rises in the value of the line led us to treating the line differently for favorites and underdogs. Specifically, we define a variable called “home favorite” to be zero when the raw money line is positive and to be the absolute value of the money line when the money line is negative. As this variable rises, the strength of the favorite status of the home team rises. For the home underdog we define two variables. The first is simply a dummy variable (home dog) equal to one when the home team is the underdog (raw money line is positive) and zero otherwise. There are 1399 home underdogs, about 23% of the sample. The second (home dog line) is zero when the actual money line is negative but is the value of the money line when it is positive. Increases in this variable indicate a greater underdog status for the home team in that game.

Coates and Humphreys (2010) and Forrest, et al. (2005) each found that attendance is greater the stronger is the favorite status of the home team. We, therefore, hypothesize that our home favorite variable will have a positive coefficient. Similarly, we expect the sign of home dog line to be negative. The greater the underdog status of the home team, the lower will be the attendance.

The regression model also includes dummy variables indicating the home team, the visiting team, and the season. Home team dummy variables capture a variety of team specific effects including geography, strong winter sports traditions, city-size, and franchise tradition. Visiting team dummies address the strength of the following of a club including both the extent to which fans of the club travel to away games and the extent to which a club has a national or international following. Season dummy variables capture several possible influences. For example, the 2005/06 season was the first season after the season-long lockout. One might expect attendance to have been down across the board as fans express disapproval for the lockout. The Winter Olympics occurred in February of 2006 causing a long break in the season. What

effect that might have had is unclear. A similar break occurred in February of 2010 when the Winter Olympics were in Vancouver, one of the NHL cities. The season variables also control for broad macroeconomic influences.

We also estimated the model using day of the week dummy variables, a first home game of the season variable, a new arena indicator, and a control for intra-divisional games. All but the same division dummy were statistically significant though their inclusion had no substantive effect on the coefficients of interest nor on the experiments with improved competitive balance. Consequently these results are not included but are available upon request.

Results

Table 2 reports estimation results for the main variables in our log attendance regression. A likelihood ratio test of the significance of the regression easily rejects the null hypothesis that all of the coefficients except the intercept are zero. The McKelvey and Zavoina pseudo- R^2 is 0.611.

The coefficient estimates in Table 2 reveal that attendance this season will be greater the better the team performed last season, the more goals the team scores per game and the fewer goals it allows per game. Curiously, the winning percentage of the team to this point in the season has a negative effect on attendance, though one that is not statistically significant. Attendance will also be greater the higher the winning percentage of the visiting team, the more goals per game scored by the visitors, and the fewer goals they allow. Attendance is lower the greater the penalty minutes per game of the visiting team.

The last column reports the elasticity of attendance with respect to the relevant variables, computed at the mean of the explanatory variable. The most striking point regarding the elasticities is that they are all very small. In other words, game attendance in the NHL is not particularly sensitive to any of the explanatory variables in our analysis. The most significant influence, in terms of magnitude of effect, is the home underdog identifier. A home underdog sees a boost of over 8% in its attendance, all other things constant, though this boost is mitigated somewhat the worse the home team is expected to fare.

The largest impacts are generally for variables not reported here. For example, the first home game of the season dummy variable exhibits about 22% greater attendance than other games during the season. Attendance is significantly larger for Saturday games than for games

on any other day. Monday through Thursday games have about 10% lower attendance than Saturday games. Teams with arenas five or fewer years old see a boost to attendance of about 15%, all other things held equal. Including all of these variables raises McKelvy and Zavoina's pseudo- R^2 only by 0.05, from 0.611 to 0.662

Table 3 shows the estimated home team effects. Calgary and Vancouver are omitted as they sold out every game. The Washington Capitals are also omitted as the basis of comparison for the other franchises. Most of these team specific effects are individually significant, and the vast majority of them are significantly negative. Traditional hotbed of hockey, Montreal, is one of the few home teams with statistically significantly more attendance than the Washington Capitals. The New York Rangers, Edmonton Oilers, and Minnesota Wild are the others. That the Wild are in this group is, perhaps, surprising given that Minnesota lost the North Stars in 1993.

Table 4 shows the visiting team effects, again with the Washington Capitals as the omitted category. To the extent that these parameter estimates reflect the number of visiting team fans that travel to away games, the results do not indicate that a large number of fans engage in this type of travel. This result suggests that any economic impact associated with out of town fan spending on hotels, bars, restaurants, and other attractions is small. Visiting teams with positive and statistically significant affects on home team attendance are the Anaheim Ducks, New York Rangers, Detroit Red Wings, Philadelphia Flyers, and Pittsburgh Penguins. By contrast, the Florida Panthers and Tampa Bay Lightning have statistically significant negative effects on home team attendance when they come to town.

Forrest, et al. (2005) experimented with the impact that improved competitive balance would have on attendance. Coates and Humphreys (2010) examined attendance under perfect competitive balance in the NFL. Both of these prior studies found that complete competitive balance would result in a substantial reduction in attendance. We extend this analysis to attendance at NHL games.

Our approach is to set the money line to -105 for all games. This means that to win \$100 on a bet on the home team, the bettor must risk \$105. This makes every game essentially a "pick 'em" contest, as the \$5 is the profit to the house on the bet. We also set the winning proportion of each team to .5 and the goals for and against of the home and visiting teams are equal to the average values of those variables.

Because our analysis covers multiple seasons, we can examine the difference from one season to the next in attendance under perfect balance compared to actual balance. Doing this we see that predicted attendance is lower compared to actual attendance, on average, in every year of our data. The smallest value, about 2000 fans per game, occurred in the 2005/06 season, the first post-lockout year. In the other seasons, perfect balance corresponds to about 2300 to 2500 fewer fans per game compared to the actual attendance. Over the full sample, the difference is about 2366 fans per game, or over 14 million in lost attendance over the sample had balance been complete. The NHL as a whole would not benefit from improved attendance.

A natural question is whether there are individual teams that would benefit from greater balance. The answer is simple. No teams would have better attendance on average if the NHL was perfectly balanced. The range of lost attendance varies, from a few hundred to several thousand, and only the Washington Capitals' attendance is not statistically significantly smaller under perfect balance than it is under the actual level of balance. The estimated difference is 193 fewer fans per game for the Capitals with improved balance. The smallest statistically significant difference is 462 fans per game for the New York Islanders. On the other extreme, perfect balance would cost the Detroit Red Wings a statistically significant 4998 fans per game.

Arena capacity is an issue in many of the games. Recall that 36% of the games in the data are sell outs. Forecasting attendance without the limit imposed by capacity, and imposing perfect balance, the results show that seven teams would experience increased attendance relative to their actual attendance. The smallest increment is 116 additional fans per game at San Jose Sharks games, the largest increment is 5074 additional fans at New York Rangers games. In our data, the Rangers sold out 99% of their games. The Vancouver Canucks, whose attendance would rise by 589 fans per game under complete balance and no seating capacity constraint, sold out every game in our data.

By contrast, removing the capacity constraints but keeping the current level of balance would produce far more increases in attendance than would occur under perfect balance. Eighteen of the clubs would experience a statistically significant increase in per game attendance if there were no seating capacity constraint. Most of these would see attendance rise in the thousands per game, led by Edmonton where attendance is predicted to rise by over 9000 per game. The Rangers would sell an additional 7624 seats per game if there were no capacity constraint. Half of the 18 teams in this group sell out 70% or more of their games. Edmonton,

Calgary, Vancouver, and the New York Rangers sell out essentially every game. The Rangers, Flames, and Oilers play in three of the six oldest facilities in the sample. Calgary's is the youngest in this group at 25 years old in the 2008/09 season; the Oilers and Rangers play in facilities that are a decade or more older.

Discussion

The evidence here is consistent with the UOH under an expanded interpretation that includes both elements of loss aversion, as predicted by prospect theory, and framing effects that increase demand for tickets to games where the home team might pull off an upset. Rather than simply preferring to see games where the outcome is highly uncertain, our results suggest that fans prefer to attend games the home team is expected to win, holding the prospect of seeing an upset victory constant and prefer to see a potential upset take place, other things equal. The results indicate that a simple, symmetric relationship between expected game outcomes and attendance cannot capture the complex interaction of loss aversion and framing, and potentially other factors affecting consumer decisions under uncertainty that influence the relationship between demand and expected game outcomes.

The evidence that demand responds to framing effects supports a strict reading of Rottenberg's (1956) UOH. Only underdogs can pull off an unexpected victory, and in closely contested games, the home team will sometimes be the underdog. Framing effects suggest that fans will understand that unexpected victories will generate substantial utility, and respond to this by demanding more tickets to games where the home team is the underdog, other things equal.

This complex relationship between expected game outcomes and demand suggests that the UOH as interpreted in much of the empirical literature needs to be reworked. While demand for tighter games may be higher, other things equal, a large number of factors must be held constant for this relationship to emerge, and a significant body of theoretical research developed over the past thirty years indicates that some things should not be held constant in this setting. An expanded theory of outcome uncertainty that explicitly incorporates decision making under uncertainty and key features of these decisions like loss aversion, and other elements of non-expected utility maximization would go a long way toward improving our understanding of the expected game outcome-attendance relationship.

The evidence here also gives support to the NHL's belief that fans want to see high scoring games. Higher goals per game of both the home and the visiting team lead to increased attendance. But attendance is harmed by poor defense by either team. Attendance is also hurt by penalties, especially by the visiting team. To the extent penalties reflect violent or excessively physical play, this result suggests the NHL was right in trying to cut down on these events.

Finally, our results say nothing about television viewership. It may be that fans watching at home are more likely to turn on a game expected to be close than a game expected to be a blowout. It is also possible that fans turn off games when the outcome seems no longer in doubt. Certainly many fans leave live sporting events before the game is over and it would be interesting to know how extensive this is and how large the scoring margin has to be to induce this behavior. From the business side, however, fans leaving the live game early are largely irrelevant as an expression of demand and the uncertainty of outcome hypothesis as the club already has their ticket revenue in hand. There may be lost concessions as a result of early departures, but this is surely a relatively small sum given how late in the game most of these must occur.

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Table 1: Descriptive Statistics

Variable	Mean	Std.Dev.	Min	Max
Game Attendance	17144.04	2715.398	5410	71217
Log Attendance	9.736	0.170	8.596	11.173
Home favorite line	128.5192	86.14693	0	598
No zeros (N=4655)	167.1439	56.5231	101	598
Home underdog line	30.81896	58.05648	0	422
No zeros (N=1399)	133.3653	30.12951	100	422
Home underdog dummy	0.231087	0.421563	0	1
Previous season win %	39.855	7.938	20	58
Current season win % to date	53.233	16.964	0	200
Home goals scored per game to date	2.948	0.438	0.5	6
Home goals allowed per game to date	2.933	0.466	0	5.5
Penalty minutes per game to date	13.894	2.890	0	31
Visiting team win % to date	52.683	16.757	0	200
Visiting team goals scored per game to date	2.947	0.495	0.833	6
Visiting team goals allowed per game to date	2.960	0.537	0.5	8.5
Visiting team penalty minutes per game to date	13.965	3.120	0	46
Home team's game number	42.114	23.326	2	82
Game number squared	2317.609	2023.634	4	6724
Game sold out	0.357	0.479	0	1

Table 2: Censored Attendance Regression

Variable	Coefficient	Std. Err.	p-value	elasticity
Home favorite line	0.0005	0.0001	0.000	0.070
Home underdog line	-0.0005	0.0002	0.001	-0.017
Home underdog dummy	0.0806	0.0231	0.000	
Previous season win %	0.0033	0.0004	0.000	0.133
Current season win % to date	-0.0005	0.0002	0.057	-0.024
Home goals scored per game to date	0.0564	0.0081	0.000	0.166
Home goals allowed per game to date	-0.0592	0.0079	0.000	-0.174
Penalty minutes per game to date	-0.0008	0.0011	0.468	-0.011
Visiting team win % to date	0.0007	0.0002	0.004	0.036
Visiting team goals scored per game to date	0.0226	0.0072	0.002	0.067
Visiting team goals allowed per game to date	-0.0271	0.0075	0.000	-0.080
Visiting team penalty minutes per game to date	-0.0023	0.0010	0.026	-0.032
Home team's game number	0.0008	0.0005	0.071	
Game number squared	0.0000	0.0000	0.193	
Observations	6054			
Log likelihood	885.90			
Likelihood ratio χ^2 (74)	4572.			
p-value	0.0000			
McKelvey & Zavoina's pseudo R ²	0.611			

Table 3: Home team effects

	Coefficient	Std.Err.	t-stat	p-value
ANA	-0.268	0.015	-18.08	0.000
ATL	-0.284	0.014	-19.80	0.000
BOS	-0.202	0.015	-13.63	0.000
BUF	-0.078	0.016	-4.81	0.000
CAR	-0.253	0.015	-17.03	0.000
CBJ	-0.241	0.015	-16.41	0.000
CHI	-0.220	0.014	-15.31	0.000
COL	-0.195	0.015	-13.11	0.000
DAL	-0.180	0.015	-12.15	0.000
DET	-0.052	0.018	-2.85	0.004
EDM	0.248	0.056	4.45	0.000
FLA	-0.254	0.014	-17.64	0.000
LAK	-0.104	0.015	-6.99	0.000
MIN	0.044	0.019	2.33	0.020
MTL	0.195	0.019	10.47	0.000
NJD	-0.354	0.015	-23.09	0.000
NSH	-0.364	0.015	-24.00	0.000
NYI	-0.390	0.014	-27.12	0.000
NYR	0.194	0.035	5.47	0.000
OTT	-0.140	0.015	-9.40	0.000
PHI	-0.051	0.014	-3.52	0.000
PHX	-0.321	0.014	-22.55	0.000
PIT	-0.148	0.015	-9.98	0.000
SJS	-0.090	0.019	-4.63	0.000
STL	-0.171	0.014	-11.85	0.000
TBL	-0.101	0.014	-7.03	0.000
TOR	-0.027	0.015	-1.83	0.068

Washington Capitals is the omitted category. Vancouver and Calgary are omitted because they sold out every game.

Table 4: Visiting team effects

	Coefficient	Std.Err.	t-stat	p-value
ANA	0.039	0.019	2.10	0.036
ATL	-0.024	0.017	-1.43	0.153
BOS	0.020	0.017	1.19	0.233
BUF	0.006	0.017	0.38	0.705
CAR	-0.011	0.017	-0.65	0.518
CBJ	-0.024	0.018	-1.35	0.178
CGY	0.022	0.018	1.23	0.218
CHI	0.031	0.018	1.71	0.087
COL	0.029	0.018	1.59	0.112
DAL	0.021	0.018	1.19	0.233
DET	0.149	0.019	7.94	0.000
EDM	0.002	0.017	0.11	0.912
FLA	-0.057	0.017	-3.45	0.001
LAK	0.005	0.018	0.26	0.792
MIN	0.002	0.018	0.09	0.930
MTL	0.018	0.017	1.07	0.283
NJD	0.021	0.018	1.22	0.222
NSH	-0.023	0.018	-1.31	0.190
NYI	-0.017	0.017	-1.01	0.313
NYR	0.081	0.017	4.77	0.000
OTT	-0.025	0.017	-1.44	0.150
PHI	0.042	0.017	2.42	0.015
PHX	-0.022	0.018	-1.24	0.214
PIT	0.083	0.017	4.81	0.000
SJS	0.024	0.018	1.33	0.183
STL	-0.012	0.018	-0.70	0.483
TBL	-0.039	0.017	-2.30	0.021
TOR	0.010	0.017	0.59	0.558
VAN	0.021	0.018	1.16	0.247

Washington Capitals is the omitted category.